

In[1]:= z=1/(1+I)

In[2]:= {Abs[z], Arg[z]}

Out[2]= {-----, ----}  
 Sqrt[2] 4

In[3]:= z=(3+I)/(1+3 I)

In[4]:= {Abs[z], Arg[z]}

Out[4]= {1, -ArcTan[---]}  
 4  
 3

In[5]:= N[%]

Out[5]= {1., -0.927295}

In[6]:= z=1/Conjugate[1+I]

In[7]:= {Abs[z], Arg[z]}

Out[7]= {-----, --}  
 Sqrt[2] 4

In[8]:= z=Abs[1/(1+I)]

In[9]:= {Abs[z], Arg[z]}

Out[9]= {-----, 0}  
 Sqrt[2]

In[10]:= (3I - 7)/(I+4)

Out[10]= -(---) + ----  
 17 17

In[11]:= (.64+ .77 I)^4

Out[11]= -0.937808 - 0.361321 I

In[12]:= Sqrt[3+4 I]

Out[12]= 2 + I

In[13]:= 25 Exp[I 2.]

Out[13]= -10.4037 + 22.7324 I

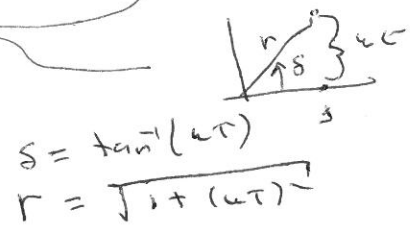
In[14]:= Log[-1]

Out[14]= I Pi

$$\begin{aligned} \textcircled{4} \quad & a_1 \cos(\omega t + \delta_1) + a_2 \cos(\omega t + \delta_2) + a_3 \cos(\omega t + \delta_3) \\ & = \text{Re} \left[ a_1 e^{i(\omega t + \delta_1)} + a_2 e^{i(\omega t + \delta_2)} + a_3 e^{i(\omega t + \delta_3)} \right] \\ & = \text{Re} \left[ \underbrace{(a_1 e^{i\delta_1} + a_2 e^{i\delta_2} + a_3 e^{i\delta_3})}_{6.61 e^{i \cdot 4105}} e^{i\omega t} \right] \\ & = 6.61 \cos(\omega t + .4105) \end{aligned}$$

$$\begin{aligned} \textcircled{7} \quad & \text{define } \frac{L}{R} = \tau \quad \frac{V_0}{R} = \tilde{I} \\ & \tau \frac{dI}{dt} + I = \tilde{I} e^{i\omega t} \quad I = I_0 e^{i\omega t} \\ & (i\omega\tau + 1) I_0 e^{i\omega t} = \tilde{I} e^{i\omega t} \end{aligned}$$

$$I_0 = \frac{\tilde{I}}{1 + i\omega\tau} = \frac{\tilde{I}}{r} e^{-i\delta}$$



$$I = \frac{\tilde{I}}{\sqrt{1 + (\omega\tau)^2}} \cos(\omega t - \delta)$$

$$\textcircled{9} \quad e^{i\theta} e^{i\phi} = e^{i(\theta+\phi)} = \cos(\theta+\phi) + i \sin(\theta+\phi)$$

$$\begin{aligned} & (\cos\theta + i \sin\theta) (\cos\phi + i \sin\phi) \\ & = (\cos\theta \cos\phi - \sin\theta \sin\phi) \\ & \quad + i (\sin\theta \cos\phi + \cos\theta \sin\phi) \end{aligned}$$

Equate Re parts; Equate imaginary parts

$$\cos\theta \cos\phi - \sin\theta \sin\phi = \cos(\theta+\phi)$$

$$\sin\theta \cos\phi + \cos\theta \sin\phi = \sin(\theta+\phi)$$