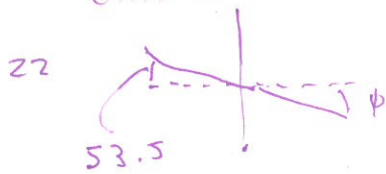


33: 22, 25, 34
class 13



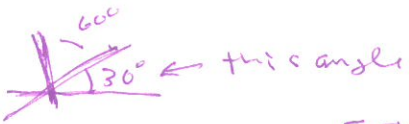
$$n \sin \phi = 1 \sin 53.5$$

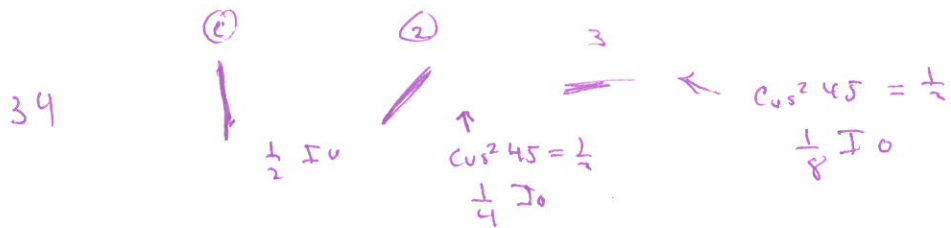
$$\uparrow$$

$$2.46 \rightarrow \phi = 19.07$$

$$2.41 \quad \underline{19.48}$$

$$\quad \underline{\quad \quad} .412^\circ$$

25  Assume 50% thru first
 $.5 I_0 \cos^2 30^\circ = .375 I_0$



(b) zero

In[3]:= a=5

Out[3]= 5

In[4]:= b=ArcSin[(1.04/1.5) Sin[a Pi/180]]*180/Pi

Out[4]= 3.46438

In[5]:= c=10-b

Out[5]= 6.53562

In[6]:= d=ArcSin[(1.5/1.04) Sin[c Pi/180]]*180/Pi

Out[6]= 9.44872

In[7]:= e=d-5

Out[7]= 4.44872

In[8]:= 2/Tan[e Pi/180]

Out[8]= 25.7066

Consider the problem of designing a camera for a Venus rover: the Venusian atmosphere is about 100 times thicker than the Earth's atmosphere, so the index of refraction deviates noticeably from one: $n = 1.04$. The camera lens ($n = 1.5$) is supposed to take the parallel rays from a distant scene and focus them on the electronic film. In this problem you will ray-trace rays that hit near the circumference of the $R = 2$ cm lens. As diagrammed below, that portion of the lens can be considered a 10° prism. A bit of geometry shows the following relations among the angles: $a = 5^\circ$ (because that side of the lens is angled 5° from vertical), $c = 10^\circ - b$ (because a triangle says: $(90^\circ - b) + (90^\circ - c) + 10^\circ = 180^\circ$ — directly on this sheet draw/label where that triangle can be found), and $e = d - 5^\circ$ (because that side of the lens is angled 5° from vertical). Tests in Earth's atmosphere find a focal length (where this edge ray hits the center line) of 22.71 cm; What do you calculate as the focal length in Venus's atmosphere? (Report your results for the angles a, b, c, d, e .)

